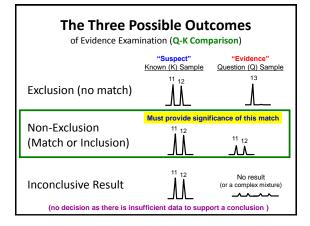
DNA Interpretation Workshop 1 Statistical Statistical Application Michael D. Coble, PhD U.S. National Institute of Standards and Technology (NIST) Bruce J. Heidebrecht, MS Maryland State Police Forensic Science Division http://www.cstl.nist.gov/strbase/training.htm Image: State State State State Science Worksbase Image: State Sta



Two Parts to Mixture Interpretation

- Determination of alleles present in the evidence and deconvolution of mixture components where possible
 - Many times through comparison to victim and suspect profiles
- **Providing some kind of statistical answer** regarding the weight of the evidence
 - There are multiple approaches and philosophies

Software tools can help with one or both of these...

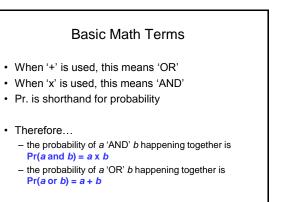


Statistical Analysis of DNA Typing Results

SWGDAM Guidelines 4.1. The laboratory *must perform statistical analysis* in support of any inclusion that is determined to be relevant in the context of a case, irrespective of the number of alleles detected and the quantitative value of the statistical analysis.

Buckleton & Curran (2008): "There is a considerable aura to DNA evidence. Because of this aura it is vital that weak evidence is correctly represented as weak or not presented at all."

Buckleton, J. and Curran, J. (2008) A discussion of the merits of random man not excluded and likelihood ratios. Forensic Sci. Int. Genet. 2: 343-348.



Slide information from Peter Gill

Conditioning

 Probabilities are conditional, which means that the probability of something is based on a hypothesis

- In math terms, conditioning is denoted by a vertical bar
 - Hence, Pr(a|b) means 'the probability of a <u>given</u> that b is true"
- The probability of an event a is dependent upon various assumptions—and these assumptions or hypotheses can change...
 Side Information from Peter Gill

Laws of Probability (3 easy rules)

- Probabilities can range from 0 to 1.
- · Events can be mutually exclusive (add)

Pr(G or H|E) = P(G|E) + P(H|E)

Probabilities

- What is the probability of rolling a "5" using a sixsided die?
- P(rolling a 5) = 1/6
- What is the probability of rolling a "5" or "6"?
- P(rolling a 5) + P(rolling a 6) = 1/6+1/6 = 2/6 or 1/3.

Laws of Probability (3 easy rules)

- Probabilities can range from 0 to 1.
- · Events can be mutually exclusive (add)

Pr(G or H|E) = P(G|E) + P(H|E)

• Events can be independent (multiply)

 $Pr(G \text{ and } H|E) = P(G|E) \times P(H|E)$

Probabilities

- What is the probability of rolling a "5" on the first throw and rolling a "6" on the second roll?
- P(rolling a 5) * P(rolling a 6) = 1/6*1/6 = 1/36.

	2,1				
1,2	2,2	3,2	4,2	5,2	6,2
1,3	2,3	3,3	4,3	5,3	6,3
1,4	2,4	3,4	4,4	5,4	6,4
1,5	2,5	3,5	4,5	5,5	6,5
1,6	2,6	3,6	4,6	5,6	6,6

Statistical Approaches with Mixtures

See Ladd et al. (2001) Croat Med J. 42:244-246

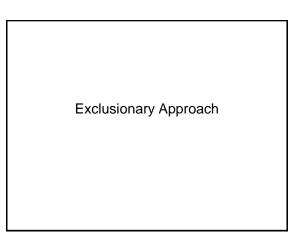
- Calculation of Exclusion Probabilities CPE/CPI (RMNE) The probability that a random person (unrelated individual) would be excluded as a contributor to the observed DNA mixture.
- Inferring Genotypes of Contributors RMP Separate major and minor components into individual profiles and compute the random match probability estimate as if a component was from a single source.
- Calculation of Likelihood Ratio Estimates LR Comparing the probability of observing the mixture data under two (or more) alternative hypotheses.

 RMNE = Random Man Not Excluded (same as CPE)

 CPE = Combined Probability of Exclusion (CPE = 1 - CPI)

 CPI = Combined Probability of Inclusion (CPI = 1 - CPE)

Statistical Approaches with Mixtures See Ladd et al. (2001) Croat Med J. 42-244-246					
"Exclusionary" Approach	"Inferred Genotype" Approach				
Random Man Not Excluded (RMNE)	Random Match Probability (RMP)				
Combined Prob. of Inclusion (CPI)	(mRMP)				
Combined Prob. of Exclusion (CPE)	Likelihood Ratio (LR)				





"The DAB finds either one or both PE or LR calculations acceptable and strongly recommends that one or both calculations be carried out whenever feasible and a mixture is indicated"

- Probability of exclusion (PE)

Devlin, B. (1993) Forensic inference from genetic markers.

Statistical Methods in Medical Research 2: 241–262.

Likelihood ratios (LR)

• Evett, I. W. and Weir, B. S. (1998) Interpreting DNA Evidence. Sinauer, Sunderland, Massachusetts. Statistical Methods in Medical Research 1993; 2: 241–262

Forensic inference from genetic markers

B Devlin Department of Epidemiology and Public Health, Yale University School of Medicine

Section 5.1 Exclusion probability

Discussion about exclusion probabilities in *Paternity* cases.

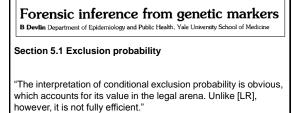
Two types:

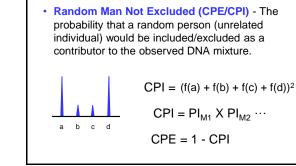
(1) Conditional Exclusion Probability - excluding a random man as a possible father, given the mother-child genotypes for a particular case.

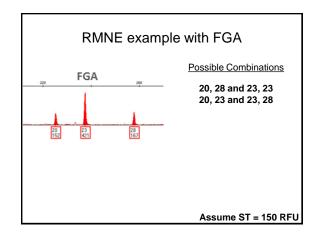
(2) Average Exclusion Probability – excluding a random man as a possible father, given a randomly chosen mother-child pair.

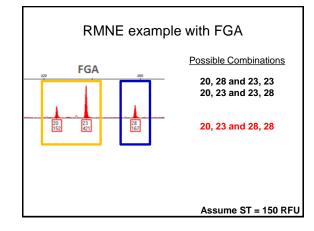
Statistical Approaches with Mixtures

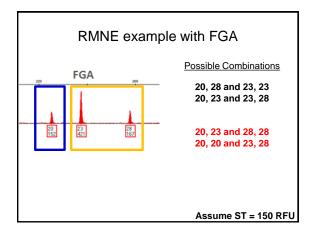
Statistical Methods in Medical Research 1993; 2: 241–262

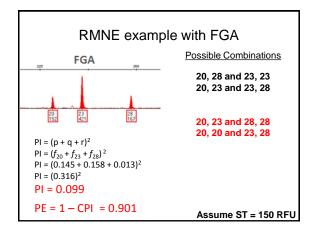


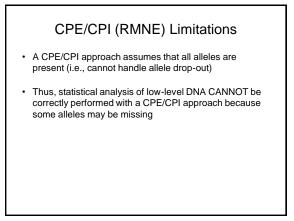


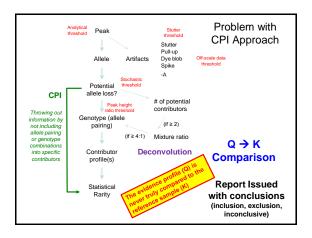


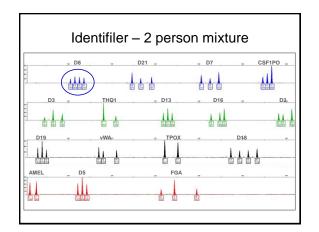


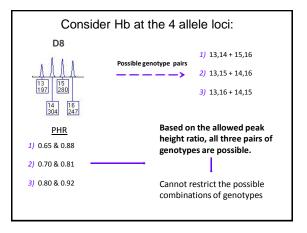


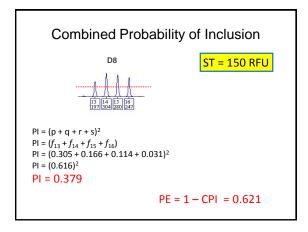


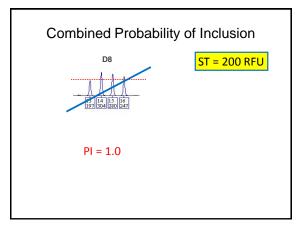


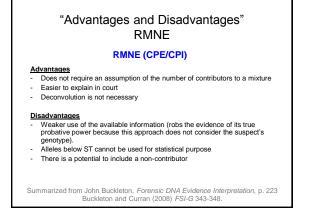


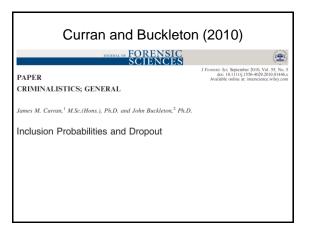


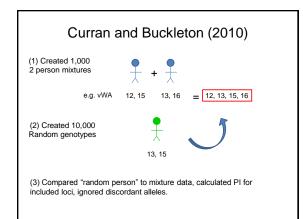


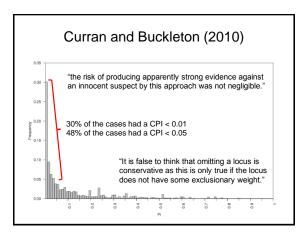












CPE/CPI (RMNE) Limitations

- A CPE/CPI approach assumes that all alleles are present (i.e., cannot handle allele drop-out)
- Thus, statistical analysis of low-level DNA CANNOT be correctly performed with a CPE/CPI approach because some alleles may be missing
- Charles Brenner in his AAFS 2011 talk addressed this issue
- Research is on-going to develop allele drop-out models
 and software to enable appropriate calculations

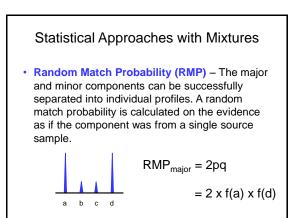


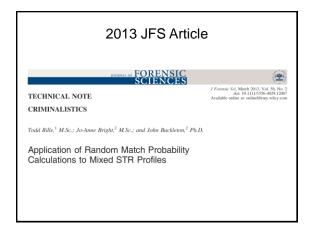
- 1. The claim that it requires **no assumption about number of contributors** is mostly wrong.
- 2. The supposed **ease of understanding** by judge or jury is really an illusion.
- Ease of use is claimed to be an advantage particularly for complicated mixture profiles, those with many peaks of varying heights. The truth is the exact opposite. The exclusion method is completely invalid for complicated mixtures.
- 4. The exclusion method is only **conservative** for guilty suspects.

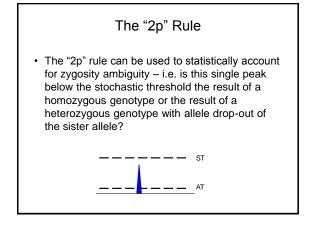
Conclusion: "Certainly no one has laid out an explicit and rigorous chain of reasoning from first principles to support the exclusion method. It is at best guesswork."

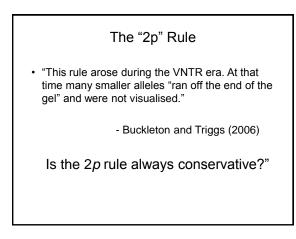
Brenner, C.H. (2011). The mythical "exclusion" method for analyzing DNA mixtures – does it make any sens at all? Proceedings of the American Academy of Forensic Sciences, Feb 2011, Volume 17, p. 79

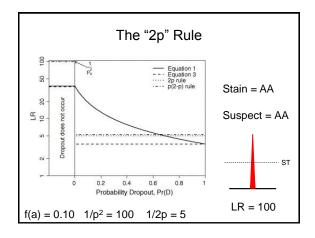
modified Random Match Probability

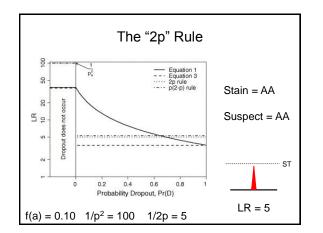


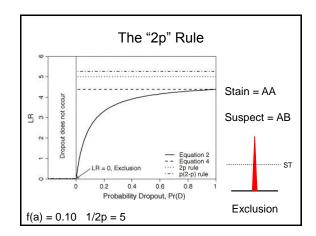


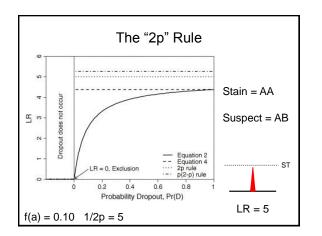


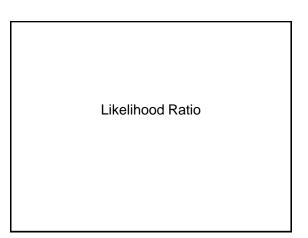


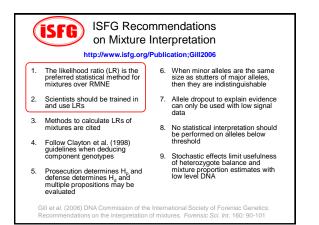


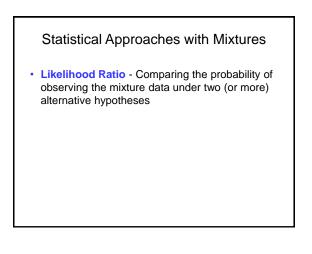












Probability Example – Will It Rain? (1)

Defining the Event and Assumptions/Hypotheses

- Let's suppose that a is the probability of an event (e.g., will it rain?)
- What is the probability that it will rain in the afternoon Pr(a)?
- · This probability is dependent upon assumptions
 - We can look at the window in the morning and observe if it is sunny (s) or cloudy (c)
 - Pr(a) <u>if</u> it is sunny (s) is less than Pr(a) <u>if</u> it is cloudy (c)

• We can write this as Pr(a/s) and Pr(a/c)

- Since sunny or cloudy are the only possibilities, Pr(s) + Pr(c) = 1
- or Pr(s) = 1 Pr(c)

Slide information from Peter Gil

Probability Example – Will It Rain? (2)

Examining Available Data

- Pr(a|s) and Pr(a|c) can be calculated from data
- How often does it rain in the afternoon when its sunny in the morning?
 - 20 out of 100 observations so Pr(a/s) = 0.2
- How often does it rain in the afternoon when it is cloudy in the morning?
 - 80 out of 100 observations so Pr(a/c) = 0.8

Slide information from Peter Gill

Probability Example - Will It Rain? (3)

Formation of the Likelihood Ratio (LR)

 The LR compares two probabilities to find out which of the two probabilities is the most likely

The probability that it will rain in the afternoon when it is cloudy in the morning or Pr(a|c) is divided by the probability that it will rain in the afternoon when it is sunny in the morning or Pr(a|s)

$$LR = \frac{\Pr(a \mid c)}{\Pr(a \mid s)} = \frac{0.8}{0.2} = 4$$

Slide information from Peter Gil

Probability Example – Will It Rain? (4)

Explanation of the Likelihood Ratio

$$LR = \frac{\Pr(a \mid c)}{\Pr(a \mid s)} = \frac{0.8}{0.2} = 4$$

- The probability that it will rain is 4 times more likely <u>if</u> it is cloudy in the morning than <u>if</u> it is sunny in the morning.
- The word <u>if</u> is very important here. It must always be used when explaining a likelihood ratio otherwise the explanation could be misleading.

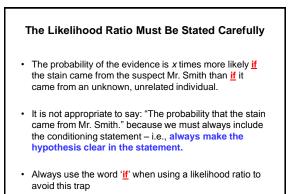
Slide information from Peter Gill

Likelihood Ratios in Forensic DNA Work We evaluate the evidence (*E*) relative to alternative pairs of hypotheses Usually these hypotheses are formulated as follows: The probability of the evidence if the crime stain originated with the suspect or Pr(*E*|*S*)

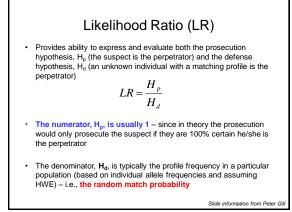
 The probability of the evidence if the crime stain originated from an unknown, unrelated individual or Pr(E|U)

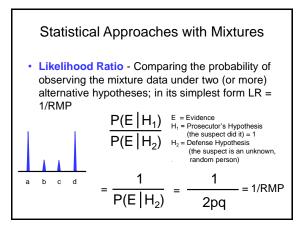
 $LR = \frac{\Pr(E \mid S)}{\Pr(E \mid U)} \xrightarrow{\text{The numerator}} \text{The numerator}$

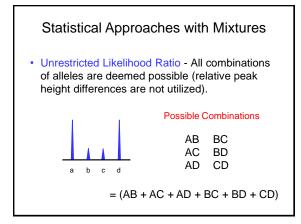
Slide information from Peter Gill

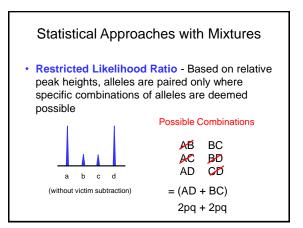


Slide information from Peter Gill









Restricted v. Unrestricted

- · Unrestricted LR:
 - Less interpretation of the evidence (no need to determine which allele pairs are unreasonable)
 - Easier math (no need to exclude unreasonable allele pairs)
- Restricted LR:
 - More accurate interpretation of the evidence

Advantages and Disadvantages RMNE and LR

RMNE (CPE/CPI)

Advantages

Does not require an assumption of the number of contributors to a mixture Easier to explain in court

Disadvantages

- Weaker use of the available information (robs the evidence of its true probative power because this approach does not consider the suspect's genotype)
 LR approaches are developed within a specificate beind formulated.
- a consistent logical framework

Likelihood Ratios (LR)

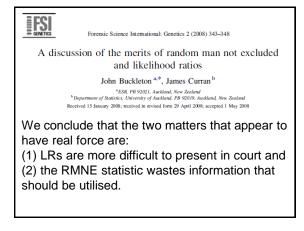
Advantages

Enables full use of the data including different suspects

Disadvantages

- More difficult to calculate (software programs can assist)
- More difficult to present in court

Summarized from John Buckleton, Forensic DNA Evidence Interpretation, p. 223 Buckleton and Curran (2008) FSI-G 343-348.



Relationship between Likelihood Ratio (LR) and Random Match Probability (RMP)

 For single source samples or deduced major component profiles in a mixture...

$$LR = \frac{1}{RMP}$$
 or $RMP = \frac{1}{LR}$

Basic Foundations of Likelihood Ratios

- · LR calculations include assumptions:
- 1) Must be able to hypothesize the number of contributors.
 - Prosecutor and Defense are allowed to have different number of contributors in their hypotheses.
 - Prosecutor and/or Defense are even allowed to present multiple different LR calculations with varying number of hypothesized contributors.

Example of varying number of contributors in Defense hypothesis

- The probability of the DNA profile from the bloodstain at the crime scene is approximately 'A' times more likely if it originated from Suspect and an unknown Caucasian individual than from two unknown individuals in the Caucasian population.
- The probability of the DNA profile from the bloodstain at the crime scene is approximately 'B' times more likely if it originated from Suspect and an unknown Caucasian individual than from <u>three</u> unknown individuals in the Caucasian population.

Example of varying number of contributors in Defense hypothesis

- While it is possible that Prosecutor can vary the number of contributors in their theory, it is <u>usually</u> most beneficial for them to minimize the number of unknown contributors in their theory of the mixture to maximize their statistics.
- It is <u>usually</u> most beneficial for the Defense to also minimize the number of unknown contributors.
- The more unknown contributors theorized to be in the mixture, the less likely it is that all contributors would have only the limited alleles detected in the mixture.
- Increasing the number of unknown contributors increases the chances of one of the contributors having an allele other than what was detected, therefore the hypothesis is no longer supported by the evidence.

Basic Foundations of Likelihood Ratios

- 2) May be able to include "known" contributors into the hypothesis.
 - This is common on vaginal swabs, anal swabs, oral swabs, penile swabs (etc.), and may even be extended to clothing and/or bedding depending on lab policy.
 - Prosecutor and/or Defense are even allowed to present multiple different LR calculations with varying hypothesized "known" contributors.

Example of varying "known" contributors in Defense hypothesis

- Defense theory is that Victim was attacked, but not by Suspect:
- The probability of the DNA profile from the condom at the crime scene is approximately 'A' times more likely if it originated from Victim and Suspect than from Victim and an unknown individual in the Caucasian population.

$$\frac{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_1)}{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_2)} = \frac{\mathsf{V} \& \mathsf{S}}{\mathsf{V} \& \mathsf{U}}$$

Example of varying "known" contributors in Defense hypothesis

- Defense theory is that Suspect left the condom, but he did not attack the Victim:
- The probability of the DNA profile from the condom at the crime scene is approximately 'B' times more likely if it originated from Victim and Suspect than from Suspect and an unknown individual in the Caucasian population.

$$\frac{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_1)}{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_2)} = \frac{\mathsf{V} \& \mathsf{S}}{\mathsf{S} \& \mathsf{U}}$$

Example of varying "known" contributors in Defense hypothesis

- Defense theory is that neither the Suspect nor the Victim is related to the evidence:
- The probability of the DNA profile from the condom at the crime scene is approximately 'C' times more likely if it originated from Victim and Suspect than from two unknown individuals in the Caucasian population.

$$\frac{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_1)}{\mathsf{P}(\mathsf{E} \mid \mathsf{H}_2)} = \frac{\mathsf{V} \& \mathsf{S}}{\mathsf{U}_1 \& \mathsf{U}_2}$$

Basic Foundations of Likelihood Ratios

3) Following the recommendations of the ISFG (Gill *et al.* 2006), the Defense must be allowed to include peaks "indistinguishable from stutter" in their calculations.

Basic Foundations of Likelihood Ratios

4) LR is not a probability but a ratio of probabilities

- The final calculation is NOT the probability that the Suspect left the evidence.
- The final calculation is a comparison of the strength of two different hypotheses, given what evidence profile is present.

B.S. Weir,¹ C.M. Triggs,² L. Starling,³ L.I. Stowell,³ K.A.J. Walsh,³ and J. Buckleton,³

Interpreting DNA Mixtures*

Classic paper that describes the use of LRs

REFERENCE: Weir BS, Triggs CM, Starling L, Stowell LI, Walsh KAJ, Buckleton J. Interpreting DNA mixtures. J Forensic Sci 1997;42(2):213–222.

Reading the formulas for LR calculations

- "Interpreting DNA Mixtures" Weir, et al., JFS 1997;42(2):213-222.
- L= Pr(E | C) / Pr(E | \hat{C})
- ' If a jury is being asked to make a choice between explanations C and C, it can be told "The profile E is L times more likely to have arisen under explanation C than under explanation C." '

Reading the formulas for LR calculations

Pr(E | C)

- Probability of the evidence given the hypothesis 'C'
- If the evidence is fully supported by the hypothesis, then the probability is 100%.
- E.G.: if Victim and Suspect complete the mixture at a given locus, Prosecutor's hypothesis is: that happened because Victim and Suspect are the only two donors to the mixture....
- Mixing the two people the Prosecutor considers to be "known" to the mixture completes the evidence profile.

Reading the formulas for LR calculations

- Pr(E | Ĉ)
- Probability of the evidence given the hypothesis ${}^{^{\prime}}\hat{\textbf{C}}{}^{\prime}$
- The Defense may not agree that the arrested Suspect should be considered "known" to the mixture.
- The Defense hypothesis may be that while the Victim can be considered "known" to the mixture, there is still one unknown contributor the True Attacker.

Reading the formulas for LR calculations

- P_x (U | E)
- · Probability of having X unknown contributors
- Who have U alleles

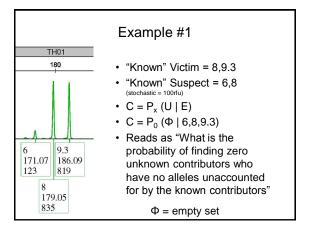
 <u>u</u>nknown, or <u>u</u>naccounted for by "known" contributor

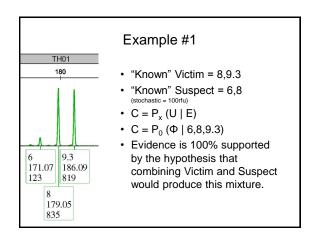
 And nothing greater than E alleles
 - <u>e</u>vidence in its entirety

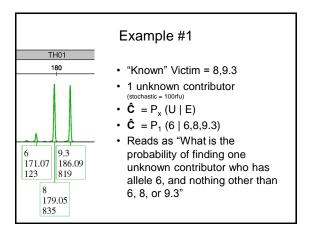
Reading the formulas for LR calculations • Both the Prosecutor's hypothesis (numerator), and Defense's hypothesis (denominator) use the same formula $P_X (U | E)$ What will provide different strength to

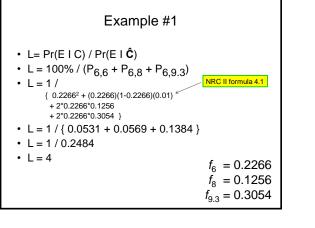
each hypothesis is the variation in X, U,

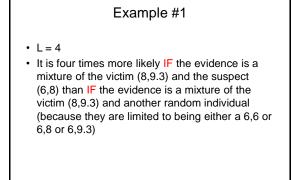
and even E







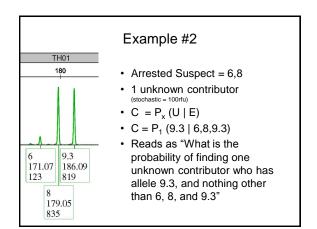


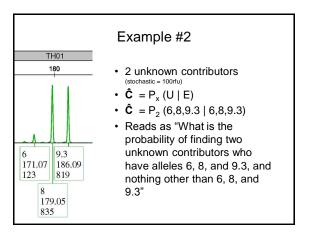


- L = 4
- It is four times more likely that pulling a random Caucasian from the general population to mix with the victim will produce a mixture that will not produce the evidence as detected.
 - Either the random person will not have the requisite allele 6, or will have alleles in addition to what was seen in the mixture.

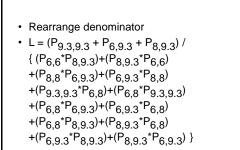
Example #1

- L = 4
- This does NOT state that it is four times more likely that the suspect is the second contributor to the mixture. ("Prosecutor's fallacy")
 - Making that statement would require calculating prior probability: Chance that suspect had opportunity, etc....





- L= P₁ (9.3 | 6,8,9.3) / P₂ (6,8,9.3 | 6,8,9.3)
- $\begin{array}{l} \bullet \ \mathsf{L} = (\mathsf{P}_{9.3,9.3} + \mathsf{P}_{6,9.3} + \mathsf{P}_{8,9.3}) \, / \\ \left\{ \left(\mathsf{P}_{6,6} ^*\mathsf{P}_{8,9.3}\right) \!+ \! \left(\mathsf{P}_{8,8} ^*\mathsf{P}_{6,9.3}\right) \!+ \! \left(\mathsf{P}_{9.3,9.3} ^*\!\mathsf{P}_{6,8}\right) \\ \left. \!+ \! \left(\mathsf{P}_{6,8} ^*\!\mathsf{P}_{9.3,9.3}\right) \!+ \! \left(\mathsf{P}_{6,8} ^*\!\mathsf{P}_{6,9.3}\right) \!+ \! \left(\mathsf{P}_{6,9.3} ^*\!\mathsf{P}_{8,9.3}\right) \\ \left. \!+ \! \left(\mathsf{P}_{6,9.3} ^*\!\mathsf{P}_{8,8}\right) \!+ \! \left(\mathsf{P}_{6,9.3} ^*\!\mathsf{P}_{6,8}\right) \!+ \! \left(\mathsf{P}_{6,9.3} ^*\!\mathsf{P}_{8,9.3}\right) \\ \left. \!+ \! \left(\mathsf{P}_{8,9.3} ^*\!\mathsf{P}_{6,6}\right) \!+ \! \left(\mathsf{P}_{8,9.3} ^*\!\mathsf{P}_{6,8}\right) \!+ \! \left(\mathsf{P}_{8,9.3} ^*\!\mathsf{P}_{6,9.3}\right) \right\} \end{array} \right\} \\ \end{array}$



Example #2

Example #2	
• Simplify denominator • $L = (P_{9.3,9.3} + P_{6,9.3} + P_{8,9.3}) / 2^* \{ (P_{6,6}^*P_{8,9.3}) + (P_{8,8}^*P_{6,9.3}) + (P_{9.3,9.3}^*P_{6,8}) + (P_{6,8}^*P_{6,9.3}) + (P_{6,8}^*P_{6,9.3}) + (P_{6,8}^*P_{8,9.3}) + (P_{6,9.3}^*P_{8,9.3}) \}$	$f_6 = 0.2266$ $f_8 = 0.1256$ $f_{9.3} = 0.3054$

Example #2 • L = (0.0953 + 0.1384 + 0.0767)/ $2^{*} \{(0.0531^{+}0.0767)$ $+(0.0169^{*}0.1384)$ $+(0.0953^{*}0.0569)$ $+(0.0569^{*}0.0767)$ $+(0.1384^{*}0.0767)$ } • $L = 0.3104 / 2^{*} \{ 0.0041 + 0.0023 + 0.0054 + 0.0079 + 0.0044 + 0.0106 \}$ • L = 0.3104 / 0.0694• L = 4.5

Example #2

• L = 4.5

 It is four and a half times more likely IF the evidence is a mixture of the suspect (6,8) and an unknown individual (who is limited to being either a 6,9.3 or 8,9.3 or 9.3,9.3) than IF the evidence is a mixture of two random unknown individuals (who must be limited to having only alleles 6,8, or 9.3)

Example #2

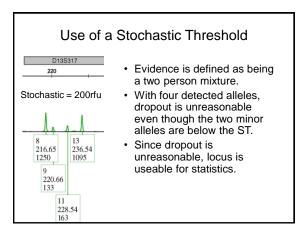
• L = 4.5

- It is four and a half times more likely that pulling two random Caucasians from the general population to mix together will produce a mixture that will not produce the evidence as detected.
 - Either the random people will not complete the mixture, or will have alleles in addition to what was seen in the mixture.

Evidence with alleles below the stochastic threshold

- DNA commission of the International Society of Forensic Genetics: Recommendations on the interpretation of mixtures. Forensic Science International 160 (2006) 90–101.
- "The advantage of the LR framework is that stutter and dropout can be assessed probabilistically..., and it is the only way to provide a meaningful calculation based on the probability of the evidence under $H_{p(rosecution)}$ and $H_{d(efense)}$."

Use of a Stochastic Threshold TH01 180 · Evidence is defined as being Stochastic = 200rfu a two person mixture. · With one allele detected below the ST, dropout may be possible. · Use of a stochastic threshold 6 9.3 accounts for dropout, and 171.07 186.09 this locus can be included in 123 819 the statistical interpretation. 179.05 835

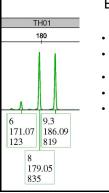


Use of a Stochastic Threshold

- Pr(E I C)
- · Probability of the evidence given the hypothesis 'C'
- If the evidence is fully supported by the hypothesis, then the probability is 100%.
- e.g. if Victim and Suspect complete the mixture at a given locus, Prosecutor's hypothesis is: that happened because Victim and Suspect are the only two donors to the mixture....
- Mixing the two people the Prosecutor considers to be "known" to the mixture completes the evidence profile.

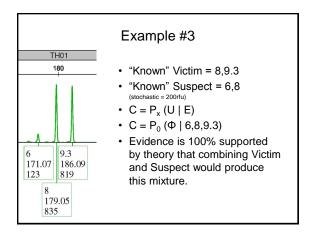
Use of a Stochastic Threshold

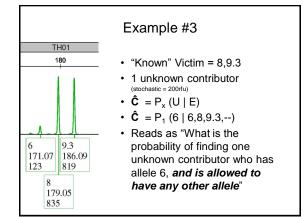
- Pr(E | Ĉ)
- Probability of the evidence given the hypothesis 'Ĉ'
- The Defense may not agree that the arrested Suspect should be considered "known" to the mixture.
 The Defense hypothesis may be that while the Victim
- The Defense hypothesis may be that while the victim can be considered "known" to the mixture, there is still one unknown contributor – the True Attacker.
- If the allele requisite to the True Attacker is below the stochastic threshold, one of their alleles may not be detected in the mixture.

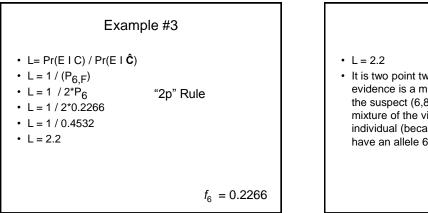


Example #3

- "Known" Victim = 8,9.3
- "Known" Suspect = 6,8 (stochastic = 200rfu)
- $C = P_x (U \mid E)$
- $C = P_0 (\Phi \mid 6, 8, 9.3)$
- Reads as "What is the probability of finding zero unknown contributors who have no alleles unaccounted for by the known contributors"







 It is two point two times more likely IF the evidence is a mixture of the victim (8,9.3) and the suspect (6,8) than IF the evidence is a mixture of the victim (8,9.3) and another random individual (because they are limited to having to have an allele 6)

Peaks "indistinguishable from stutter"

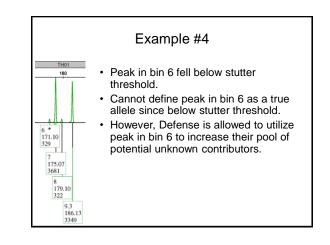
- ISFG (2006) Recommendation
- "If the crime profile is a major/minor mixture, where minor alleles are the same size (height or area) as stutters of major alleles, then stutters and minor alleles are indistinguishable. Under these circumstances alleles in stutter positions that do not support H_p should be included in the assessment."

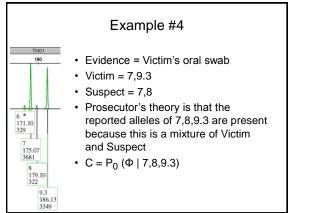
Peaks "indistinguishable from stutter"

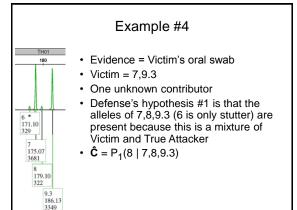
- · Practical application:
- The Defense is allowed to include peaks below the stutter threshold as true alleles to increase the pool of potential <u>unknown</u> contributors.
- The inclusion of these peaks must be based upon expected peak height ratios of heterozygous pairs, mixture ratio of contributors, number of unambiguous alleles compared to number of contributors, and the overriding possibility of dropout rendering this interpretation irrelevant.

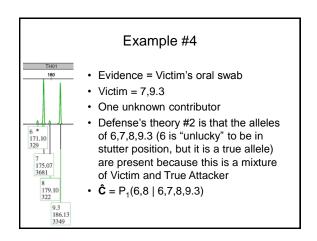
Peaks "indistinguishable from stutter"

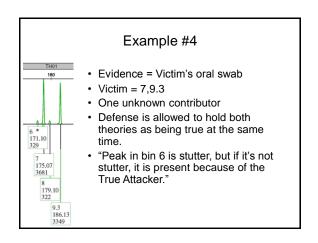
- · Practical application:
- The Prosecution is NOT allowed to include peaks below the stutter threshold as true alleles to increase the pool of potential <u>unknown</u> contributors.
- The Prosecution can only utilize such peaks to explain why alleles of "<u>known</u>" contributors are not reported by the software.

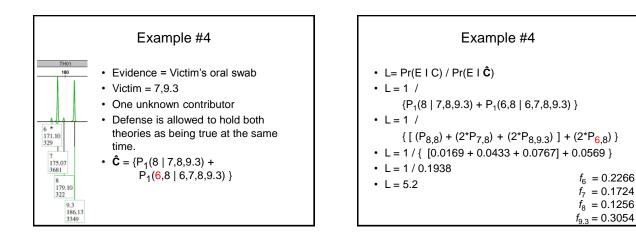












- L = 5.2
- It is five point two times more likely IF the evidence is a mixture of the victim (7,9.3) and the suspect (7,8) than IF the evidence is a mixture of the victim (7,9.3) and another random individual (because they are limited to having to have an allele 8, and nothing other than a 6, 7, or 9.3)

How much difference does this really make?

- Without utilizing the peak in bin 6 as a potential allele in the Defense's hypothesis:
- Prosecutor's theory remains the same: 100%
- Defense's theory now is limited to P₁(8 | 7,8,9.3)
- $L = 1 / [(P_{8,8}) + (2^*P_{7,8}) + (2^*P_{8,9,3})]$
- L = 1 / [0.0169 + 0.0433 + 0.0767]
- L = 1 / 0.1369
- L = 7.3

How much difference does this really make?

- Without utilizing the peak in bin 6 as a potential allele in the Defense's theory:
- L = 7.3
- Including the peak in bin 6 as a potential allele in the Defense's theory:
- L = 5.2

In Summary

- Hypothesis of number of contributors must be established before looking at any probative samples. This reduces the chance of interpretation bias.
- If the number of contributors can not be reasonably hypothesized, then LR statistics can not be applied.

In Summary

- Using LR discounts unreasonable genotypes that are allowed in CPE.
- Using Restricted LR discounts unreasonable genotypes that are allowed in Unrestricted LR.
- Using "known" contributors discounts unreasonable genotypes that are allowed without any assumption of "known" contributors.

In Summary

- The Defense must be allowed to use the stochastic threshold to increase their pool of potential unknown contributors.
- The Defense must be allowed to use the peaks that are "indistinguishable from stutter" to increase their pool of potential unknown contributors.
- The Prosecution is not allowed to use either to increase their pool of potential unknown contributors, only to explain why their "known" contributors are not fully represented in the reportable profile.

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